1. There were 224 students, either male or female, that participated in the MATHCOUNTS National Competition, where the highest possible score is 46. The average of all the participants' scores was 21.54 . If the average of all the males' scores were 25.77, and the average of all the females' scores are 15.9, then how many female students participated in the MATHCOUNTS National Competition?
2. Andrew has a cylindrical container. The height of his container is 8 inches. Given the surface area (in square inches) of the cylinder is equivalent in value to the volume (in cubic inches) of the cylinder, what is the surface area of the cylinder, in square inches? Express your answer as a decimal to the nearest hundredth.
3. Jaden has 6 yellow cards, 5 red cards, and 4 blue cards, all of which are intact. What is the probability that he picks the color combination yellow-blue-blue-red, in that order, if he randomly picks four cards? Express your answer as a percent rounded to the nearest tenth.
4. A point $O$ is randomly selected from the interior of unit square $A B C D$, such an example is shown below. What is the probability that the triangle formed by point $O$ with points $A$ and $B$ is acute? Express your answer as a percent rounded to the nearest hundredth.

5. I leave for work at 7:00. What is the earliest time that the hour and minute hand form a $135^{\circ}$ angle after I leave for work? Round your answer to the nearest minute, ignoring A.M./P.M.
6. Evaluate $a-b+c \cdot d$, for

- $\quad a=\log _{2}(1+i)^{2016}$, for $i=\sqrt{-1}$.
- $b=$ the area of a rhombus with side length of $\sqrt{68}$ units and a diagonal length of 4 units
- $c=$ the sum of the positive factors of 16
- $d=$ the sum of the roots of $x^{2}-64 x-65$.

7. A lattice point is a point with integer coordinates.

How many lattice points lie inside or on the graph of $x^{2}+y^{2}=16$ ?
8. Leo and Waldo each roll a 2016 -sided die. What is the probability that Leo's number is greater than Waldo's number? Express your answer as a common fraction.

